

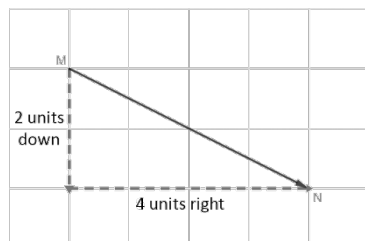
# TRANSLATIONS: GUIDED NOTES

## Vocabulary

- \_\_\_\_\_: a function (rule) that changes the figure in some way.
- \_\_\_\_\_: a type of transformation where every point of a figure is moved the same distance in the same direction; the figure **slides** without rotating or flipping.
- \_\_\_\_\_: the original figure, before any transformation(s); the input.
- \_\_\_\_\_: the final figure; the result from applying the transformation(s); the output.
- \_\_\_\_\_: a transformation where the image is congruent to the preimage; a translation is an example of rigid motion.

	<b>Verbal Description</b>
	Translate the preimage 4 units right and 2 units down.
	<b>Algebraic Rule</b>
	$(x, y) \rightarrow (x + 4, y - 2)$
<b>Mapping Notation</b>	
$A \rightarrow A'$ <b>Read:</b> Point A maps to point A prime.	$Polygon\ ABCD \rightarrow Polygon\ A'B'C'D'$ <b>Read:</b> Polygon A, B, C, D maps to polygon A prime, B prime, C prime, D prime.

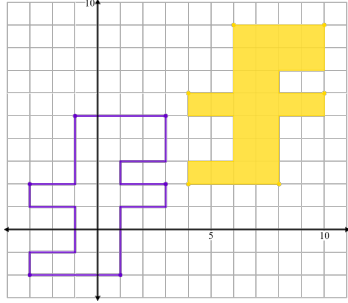
- \_\_\_\_\_: a path, with a starting and ending point that a figure follows; it has size (magnitude/distance) and direction.
  - **example:**  $\overrightarrow{MN}$ , read “vector MN,” where  $M$  is the starting (initial) point and  $N$  is the ending (terminal) point.



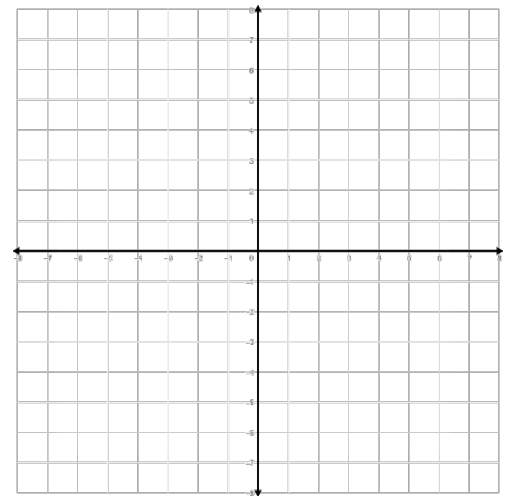
We can also represent  $\overrightarrow{MN}$  in its component form:  $\langle 4, -2 \rangle$ , where 4 is the horizontal component, and  $-2$  is the vertical component.

### Example Problems

1) Complete the table below for the unshaded preimage and shaded image.

Graph	Verbal Description	Algebraic Rule	Vector Notation
			

2) Polygon  $ABCDE$  has the following vertices:  $A(1, -4)$ ,  $B(3, -5)$ ,  $C(5, -3)$ ,  $D(3, -3)$ , and  $E(1, 1)$ . Draw Polygon  $ABCDE$ ; then translate Polygon  $ABCDE$  using the vector  $\langle -5, 2 \rangle$ . Label Polygon  $ABCDE$  and its image.



3) What if the preimage was not on the coordinate plane? How would we construct the image? Construct the image given the following preimage and vector.

